

University of California  
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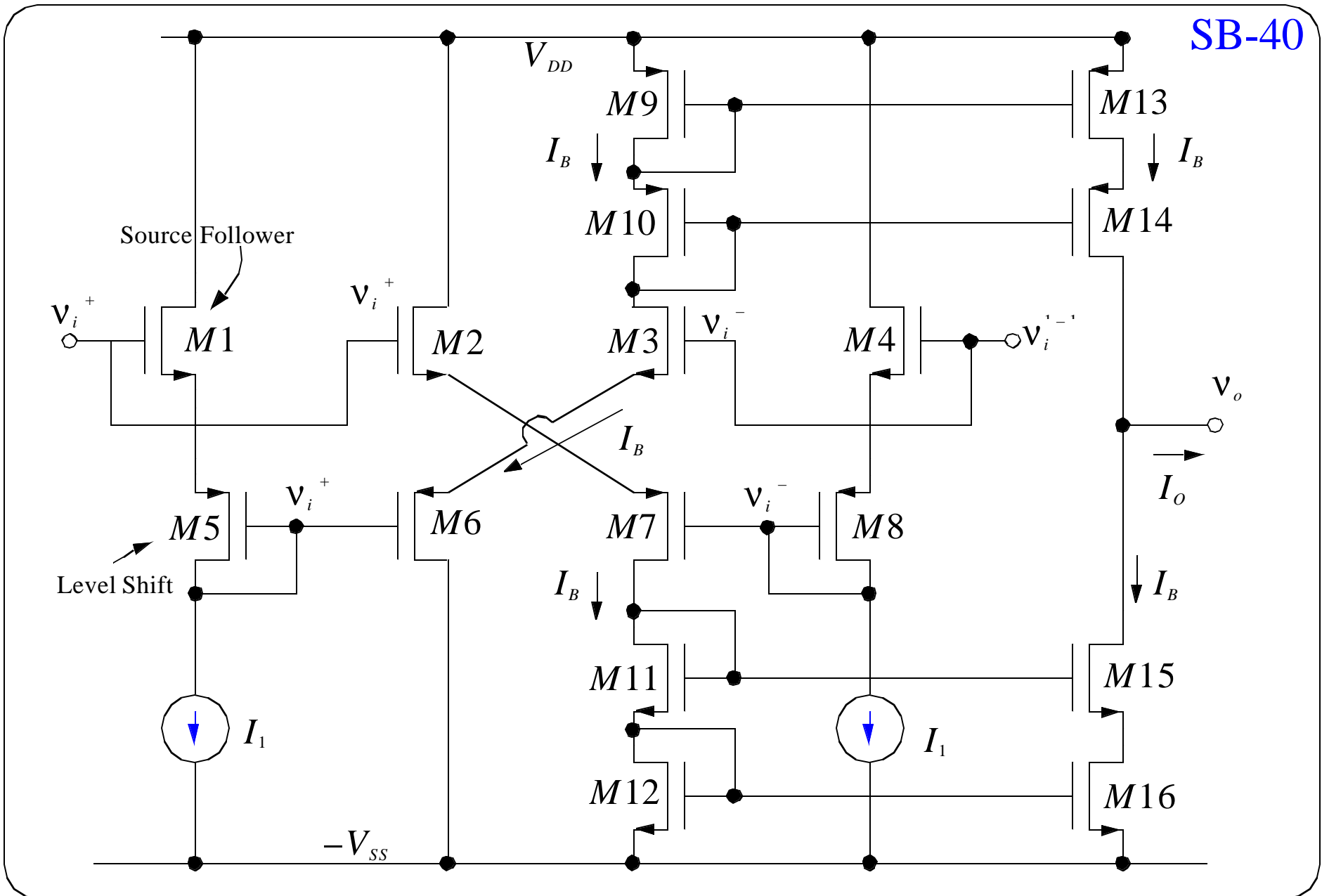
College of Engineering  
Department of Electrical Engineering  
and Computer Science

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EECS140

Analog Circuit Design

**Lectures**  
**on**  
**STABILITY**  
**(continued)**

SB-40



## Class AB Input Stage Cross Coupled Differential Pair

SB-41

Calculating currents :

$$V_{GS1} + V_{SG5} = V_{SG6} + V_{GS3} \quad v_i = 0$$

$$V_{Tn} + V_{DSAT1} + V_{Tp} + V_{DSAT5} = V_{Tn} + V_{DSAT1} + V_{Tp} + V_{DSAT3}$$

Let All

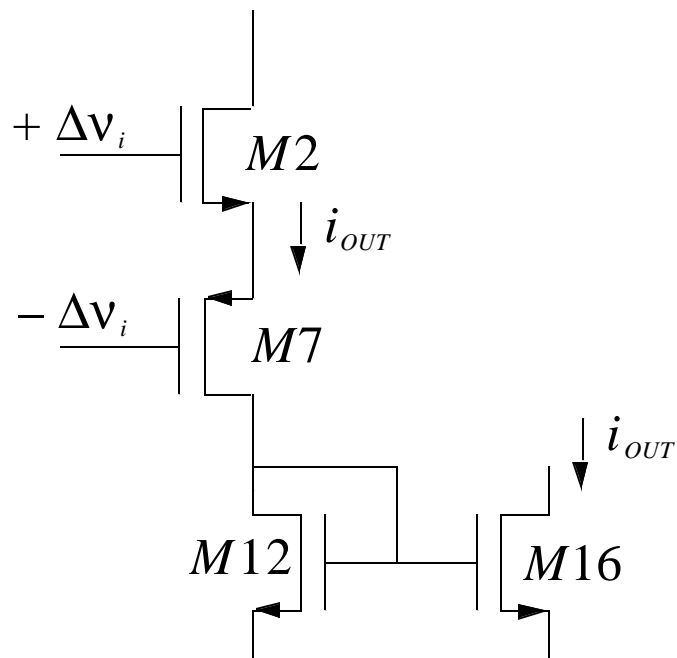
$$\left(\frac{W}{L}\right)_1 = \left(\frac{W}{L}\right)_3 \quad \left(\frac{W}{L}\right)_5 = \left(\frac{W}{L}\right)_6$$

$$\left(\frac{2 \cdot I_1}{\left(\frac{W}{L}\right)_5 \cdot k_p'}\right)^{\frac{1}{2}} + \left(\frac{2 \cdot I_1}{\left(\frac{W}{L}\right)_1 \cdot k_n'}\right)^{\frac{1}{2}} = \left(\frac{2 \cdot I_B}{\left(\frac{W}{L}\right)_5 \cdot k_p'}\right)^{\frac{1}{2}} + \left(\frac{2 \cdot I_B}{\left(\frac{W}{L}\right)_1 \cdot k_n'}\right)^{\frac{1}{2}}$$

$$I_1 = I_B$$

## Class AB Input Stage Cross Coupled Differential Pair (Cont.) SB-42

Transistor  $M2$  has  $M7$  as its source resistance.



If  $g_m$ 's are all equal =  $g_m$

$$\frac{g_{m2} \cdot v_i}{1 + g_{m2} \cdot \left(\frac{1}{g_{m7}}\right)} = \frac{g_{m2}}{2} \cdot \Delta v_i = \frac{g_m}{2} \cdot \Delta v_i$$

## Class AB Input Stage Cross Coupled Differential Pair (Cont.) SB-43

As  $\Delta v_i$  increase  $i_{OUT}$  continues to increase.

If  $\Delta v_i$  decreases M2 & M7 cutoff.

But then current comes from M3 & M6.

So for Small Signals

$$GM = \underbrace{\frac{i_{ds3}}{v_{in}} + \frac{i_{ds7}}{v_{in}}}_{g_m/2} = g_m$$

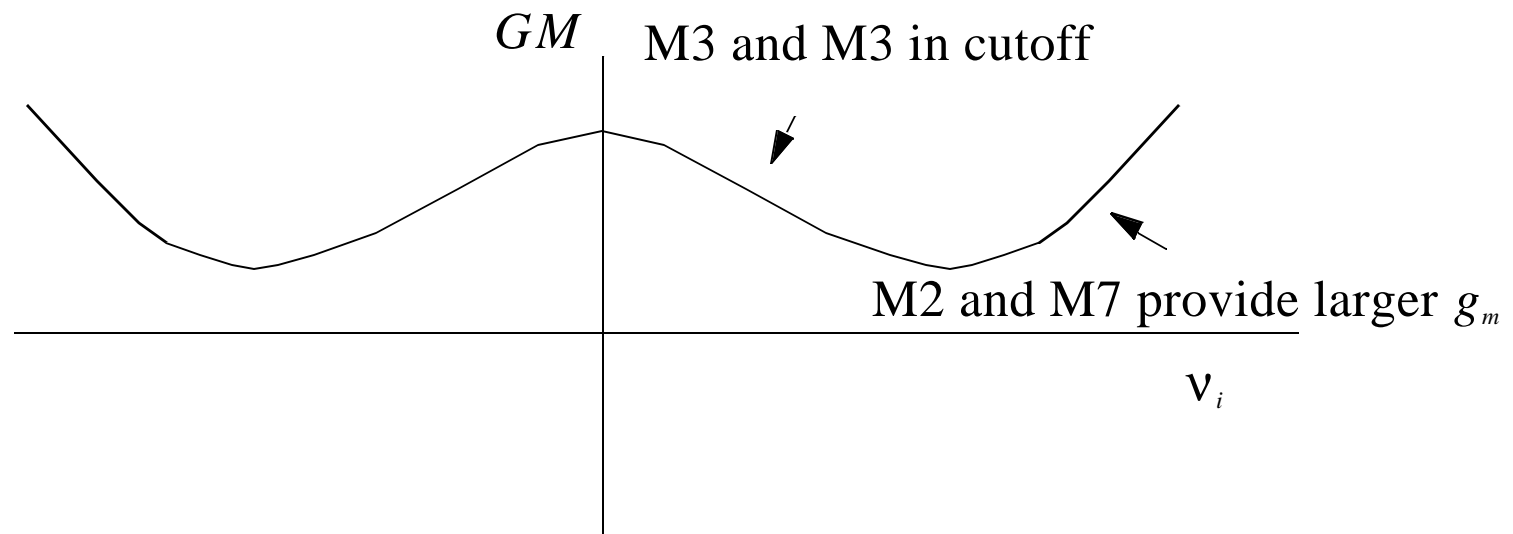
$$R_{OUT} = g_m \cdot r_o^2 \parallel g_m \cdot r_o^2 = \frac{g_m \cdot r_o^2}{2}$$

$$A_v = \frac{g_m^2 \cdot r_o^2}{2}$$

SB-44

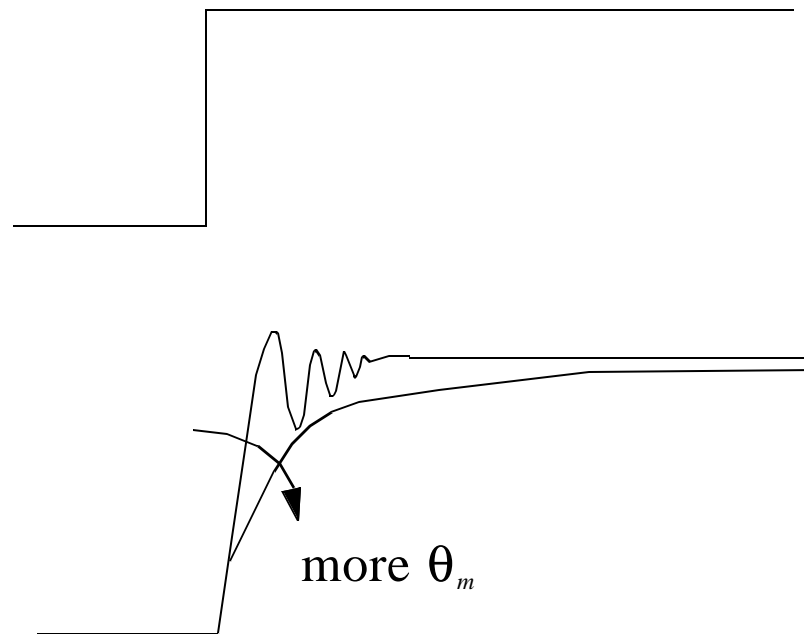
## Class AB Input Stage Cross Coupled Differential Pair (Cont.)

For Large Signals either M2, M9 or M3, M6 cutoff so the  $g_m$  drops, but since the current is increasing it increases again.



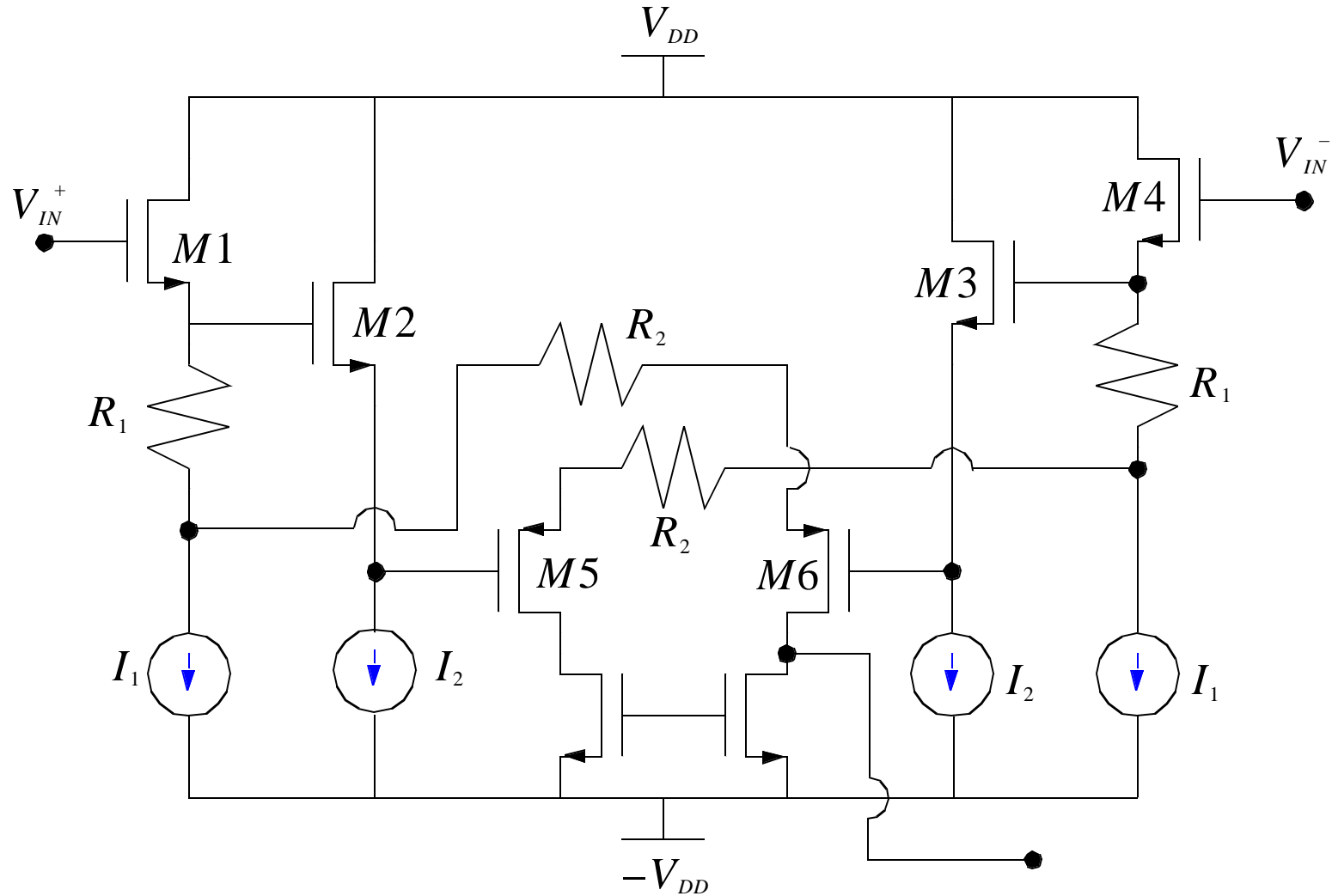
## Class AB Input Stage Cross Coupled Differential Pair (Cont.) SB-45

Slew Rates can be very high since they are independent of the Bias Current  $\Rightarrow$  Bigger Signal gives more current to drive the next stage.



# Another Class AB

SB-46



## Another Class AB (Cont.)

SB-47

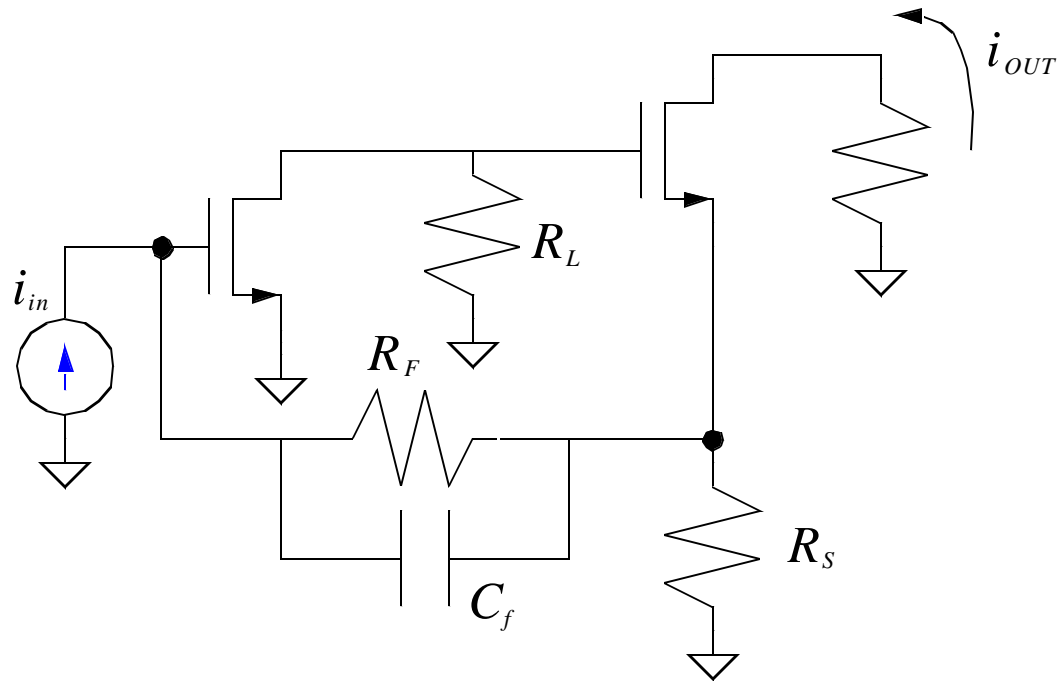
Small Signals M5 & M6 are degenerated by  $R_1$  &  $R_2$

But for Large Signals the INPUT appears across  $R_1 + R_2$

$$I_{OUT} = \frac{V_{IN}^+ - V_{IN}^-}{R_1 + R_2}$$

SB-48

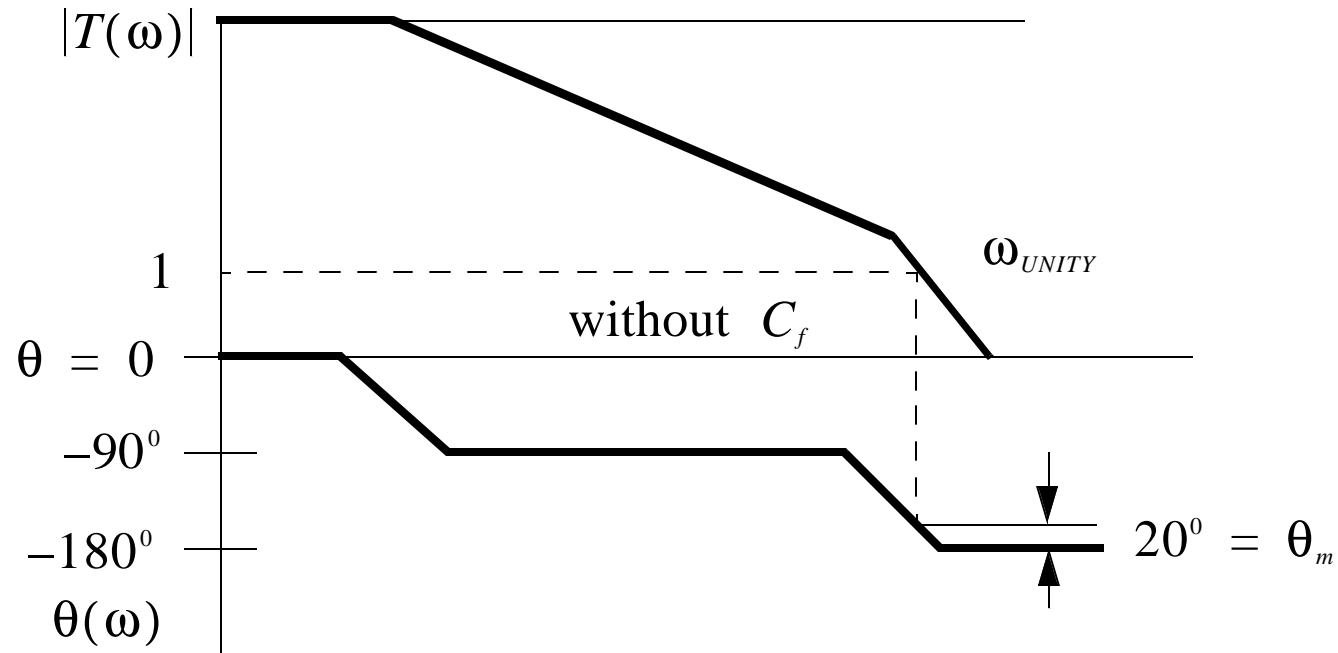
## Feedback Zero Compensation



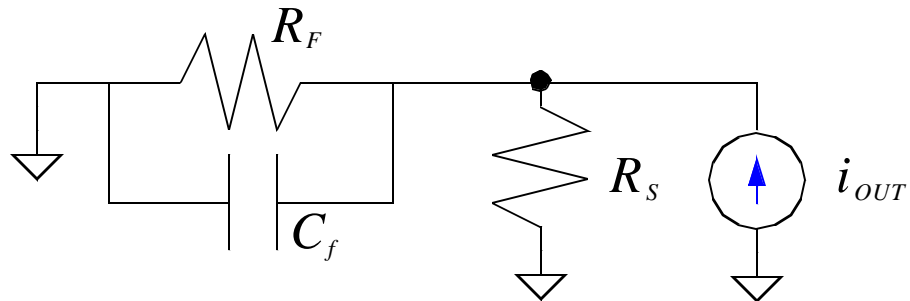
Shunt - Series Feedback

## Feedback Zero Compensation (Cont.)

SB-49



But we want  $45^\circ$  of  $\theta_m$  so we add  $C_f$



## Feedback Zero Compensation (Cont.)

SB-50

$$f = \frac{R_S}{R_F + R_S} \cdot \left( \frac{1 + R_F \cdot j \cdot \omega \cdot C_F}{1 + (R_S \parallel R_F) \cdot j \cdot \omega \cdot C_F} \right)$$

If  $R_S \ll R_F$

$$f = \frac{R_S}{R_F} \cdot \left( \frac{1 + j \cdot \omega \cdot R_F \cdot C_F}{1 + j \cdot \omega \cdot R_S \cdot C_F} \right)$$

$$\omega_Z = \frac{1}{R_F \cdot C_F} \quad \omega_P = \frac{1}{R_S \cdot C_F}$$

Since  $R_S \ll R_F$      $\omega_Z \ll \omega_P$

$$T = a(\omega) \cdot f(\omega)$$

## Feedback Zero Compensation (Cont.)

SB-51

We can add positive phase shift from the zero at  $\omega_{\text{unity}}$  and as long as the contribution is  $< 45^\circ$  There is no change in the magnitude of  $f(\omega)$  and thus  $T(\omega)$

$$\tan(\omega_{\text{UNITY}}(R_F \cdot C_F)) = 25^\circ$$

or,

$$C_F = \frac{1}{R_F \omega_{\text{UNITY}}} \cdot \arctan(25^\circ)$$

